









Error Detection and Correction (2) • The decoder corrects the vector to the nearest code word • The error-correcting capability *t* of a code is defined as: $t = \left\lfloor \frac{d_{\min} - 1}{2} \right\rfloor$ where [*x*] means the largest integer not to exceed *x*. • The error-detecting capability can be defined by : $e = d_{\min} - 1$



Examp	le		
A code simultar the follo	with <i>d_{min}=</i> 7 (<i>t=</i> 3 neously detect a wing ways:	8, <i>e</i> =6) can be used t and correct in any on	o ie of
	Detect (β)	Correct (α)	
	3	3	
	4	2	
	5	1	
	6	0	
		0	
	_	0	
	-	, , , , , , , , , , , , , , , , , , ,	



_	Activity 1		
	Consider the codeword set of (6,3), suppose the codeword 110011 was transmitted and that two leftmost digits were declared by the receiver to be erasures. Verify that the received flawed sequence xx0011 can be corrected.	Message vector 000 100 010 110 001 101 011 111	Codeword 000000 110100 011010 101110 101001 011101 110011 000111
			10





n E	xam	ple	of (6	5,3)	Cod	e	
000000	110100	011010	101110	101001	011101	110011	000111
000001	110101	011011	101111	101000	011100	110010	000110
000010	110110	011000	101100	101011	011111	110001	000101
000100	110000	011110	101010	101101	011001	110111	000011
001000	111100	010010	100110	100001	010101	111011	001111
010000	100100	001010	111110	111001	001101	100011	010111
100000	010100	111010	001110	001001	111101	010011	100111
	100101	001011	111111	111000	001100	100010	010110









ssage Code	words
00 0000	0000
01 1111	0001
10 0011	11110
11 1100)1111

































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