

Appendix Solution

Q1. Solution

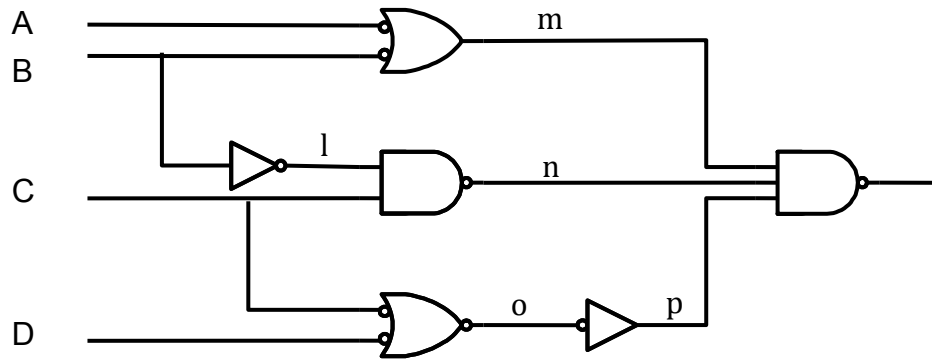
Truth Table

A	B	C	D	F
0	0	0	0	1
0	0	0	1	1
0	0	1	0	1
0	0	1	1	1
0	1	0	0	1
0	1	0	1	1
0	1	1	0	1
0	1	1	1	0
1	0	0	0	1
1	0	0	1	1
1	0	1	0	0
1	0	1	1	0
1	1	0	0	1
1	1	0	1	0
1	1	1	0	0
1	1	1	1	0

$$Z_{SOP} = \bar{A}\bar{B}\bar{C}\bar{D} + \bar{A}\bar{B}\bar{C}D + \bar{A}\bar{B}C\bar{D} + \bar{A}\bar{B}CD + \bar{A}B\bar{C}\bar{D} + \bar{A}B\bar{C}D + \bar{A}BC\bar{D} + \bar{A}BC\bar{D} \\ + A\bar{B}\bar{C}D + ABC\bar{D}$$

$$Z_{POS} = (A + \bar{B} + \bar{C} + \bar{D}).(\bar{A} + B + \bar{C} + D).(\bar{A} + B + \bar{C} + \bar{D}).(\bar{A} + \bar{B} + C + \bar{D}).(\bar{A} \\ + \bar{B} + \bar{C} + D).(\bar{A} + \bar{B} + \bar{C} + \bar{D})$$

Q2. Solution



Module Q2 (A,B,C,D,Z);

input A, B, C, D;

output Z;

not (a1, A);

not (b1, B);

and (m, a1,b1);

// above 3 lines can be replaced by nand (m, A, B);

not (l,B);

nand(n,l,C);

not(c1,C);

not(d1,D);

nor (o,c1,d1);

//above 3 lines can be replaced by and(o,C,D);

not (p,o);

// also can be written as not(o1,o); buf (p,o1);

nand (Z,m,n,o);

endmodule

Q3. Solution

$$Z = \overline{A} \overline{B} C \overline{D}$$

