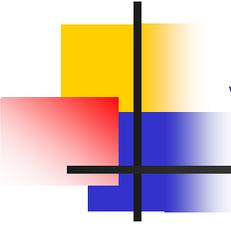


Variable Negation Strategy

Decision Table-Based Testing



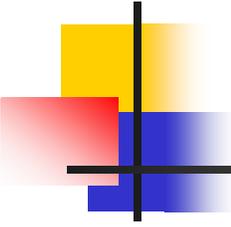
Variable Negation Strategy

- An approach that can help with the scaling problems of decision table-based testing
- Applicable when the system under test can be represented as a truth table (binary input and output)
- Designed to select a small subset of the 2^N test cases

Example truth table – Boiler controller

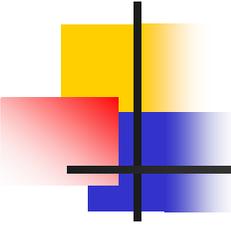
$$Z = F(A, B, C, D)$$

Variant Number	Normal Pressure	Call For Heat	Damper Shut	Manual Mode	Ignition Enable
	A	B	C	D	Z
0	0	0	0	0	0
1	0	0	0	1	0
2	0	0	1	0	0
3	0	0	1	1	0
4	0	1	0	0	0
5	0	1	0	1	0
6	0	1	1	0	0
7	0	1	1	1	0
8	1	0	0	0	0
9	1	0	0	1	1
10	1	0	1	0	0
11	1	0	1	1	1
12	1	1	0	0	1
13	1	1	0	1	1
14	1	1	1	0	0
15	1	1	1	1	1



Deriving the Logic Function

- Boolean algebra expressions
 - $\mathbf{A B} \equiv A \text{ and } B$
 - $\mathbf{A + B} \equiv A \text{ or } B$
 - $\sim\mathbf{A} \equiv \text{not } A$
 - $\sim A B C$ means $\sim A$ and B and C
 - $\sim(A B C)$ means $\sim A$ and $\sim B$ and $\sim C$
- A logic function maps N Boolean input variables to a Boolean output variable
- A truth table is an enumeration of all possible input and output values

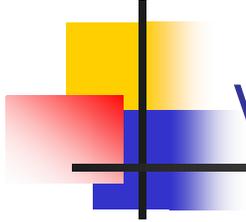


Logic function

- The logic function for the example is

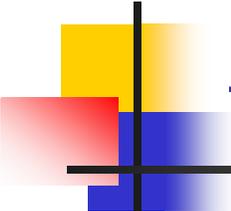
$$\mathbf{Z = A B \sim C + A D}$$

- Several techniques to derive it
 - Karnaugh maps
 - Cause-effect graphs
- A compact logic function will produce more powerful test cases



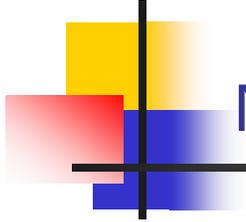
Variable Negation Strategy

- Designed to reveal faults that hide in a don't care
- The test suite contains:
 - **Unique true points:** A variant per term t , so that t is True and all other terms are False
 - In the expression $A B \sim C + A D$, $A B \sim C$ and $A D$ are terms
 - **Near False Points:** A variant for each literal in a term. The variant is obtained by negating the literal and is selected only if it makes $Z = 0$
- Each term variant creates a test candidate set



True points

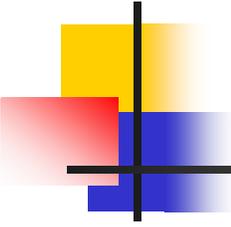
- Unique true point candidate sets in boiler example
 - Variants in the set $\{12\}$ make **A B \sim C** true but not **A D**
 - Variant 13 makes both **A B \sim C** and **A D** true and as a consequence is not included in the set
 - Variants in the the set $\{9,11,15\}$ make **A D** true but not **A B \sim C**
 - Variant 13 makes both **A B \sim C** and **A D** true and as a consequence is not included in the set



Near false points

Candidate set number	Term negation	Function variants containing this negation	Function variants containing this negation where $Z = 0$
1 Org. term	A B \simC	—	12
2	A B C	14, 15	14
3	A \sim B \sim C	8, 9	8
4	\sim A B \sim C	4, 5	4, 5
5 Org. term	A D	—	9, 11, 15
6	A \sim D	8, 10, 12, 14	8, 10, 14
7	\sim A D	1, 3, 5, 7	1, 3, 5, 7

Near false points are in black, candidate set numbers 2, 3, 4, 6 and 7. In green are true points.



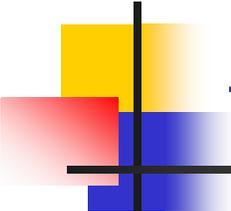
Selecting the test cases

- At least one variant from each candidate set
- Can be done by inspection
- Random selection is also used
- Near False Points exercise combinations of don't care values
- 6% of all possible tests are created
- 98% of simulated bugs can be found

Selecting test cases – 2

Test Candidate Set

Variant	1	2	3	4	5	6	7	Test case?
0								
1							X	
2								
3							X	
4				X				
5				X			X	X M
6								
7							X	
8			X			X		X M
9					X			M
10						X		
11					X			X .
12	X							X M
13								
14		X				X		X M
15					X			X .



Test suite

- Candidate sets

- 1 12
- 2 14
- 3 8
- 4 4, 5
- 5 9, 11, 15
- 6 8, 10, 14
- 7 1, 3, 5, 7

- Minimum Test suite variants

- 5 candidate sets 4 & 7
- 8 candidate sets 3 & 6
- 9 candidate set 5
- 12 candidate set 1
- 14 candidate set 2