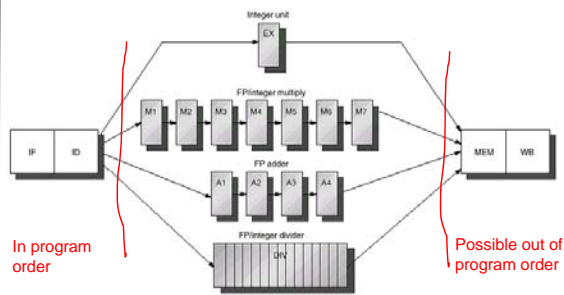


## Multi Cycle Operations




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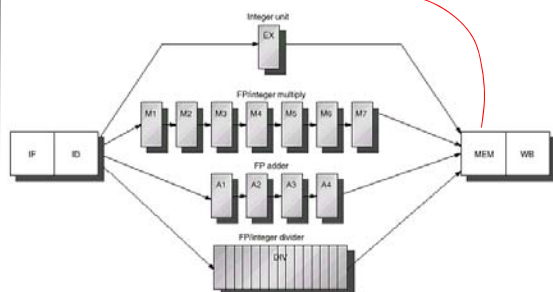
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## Multi Cycle Operations




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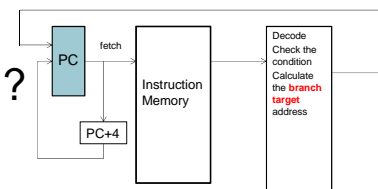
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## Pipeline no Prediction

- Branching completes in 2 cycles – We know the target address after the second stage



- 1 Cycle delay

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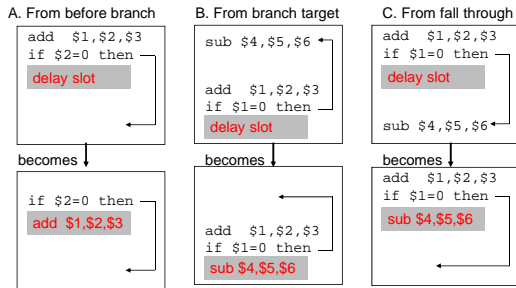
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## Branch Delay Slots



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## Branch Prediction

- Dynamic scheduling deals with data dependence improving, the limiting factor is the control dependence.
- Branch prediction is important for processors that maintains a CPI of 1, but it is crucial for processors who tries to issue more than one instruction per cycle (CPI < 1).
- We have already studied some techniques (delayed branch, predict not taken), but these do not depend on the dynamic behavior of the code.

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## Branch History Table

- A small memory indexed by the lower portion of the address of the branch instruction.
- The memory contains only 1-bit, to predict taken or untaken
- If the prediction is incorrect, the prediction bit is inverted.
- In a loop, it mispredicts twice
  - End of loop case, when it exits instead of looping as before
  - First time through loop on *next* time through code, when it predicts exit instead of looping

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## 1-Bit Predictor

- 1-Bit bimodal predictor
- Consider the following example
- `for(i=0;i<10;i++) {`
- `.....`
- `}`

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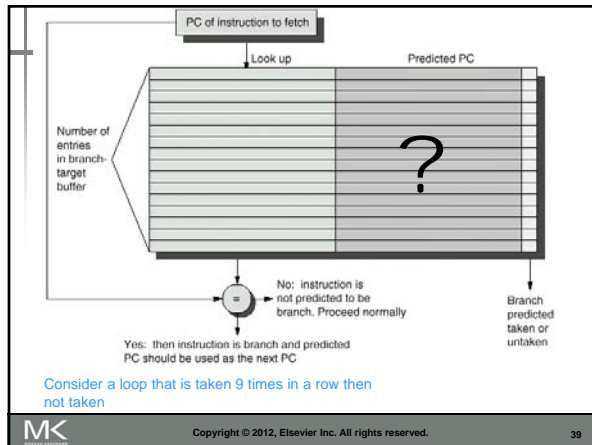
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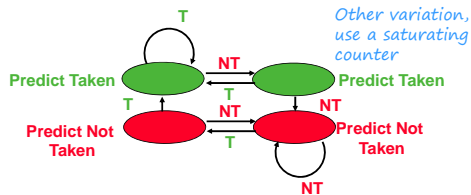
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## 2-Bit Predictor

- Uses 2 bits to add some hysteresis to the prediction – Compare with 1 bit?
- 2 bits are as good as N bits (approx.)




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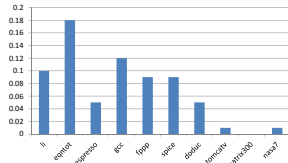
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## 2-bit Predictor

- 4096 entries 2-bit predictor miss rate



## Correlating Branch Predictors

```

B1  if (aa==2) → BNEZ R3, L1 ; b1 (aa!=2)
    aa=0;      DADD R1, R0, R0 ; aa==0
B2  if (bb==2) → L1: DSUBUI R3, R1, #2
    bb=0;      BNEZ R3, L2 ; b2 (bb!=2)
    DADD R2, R0, R0 ; bb==0
B3  if (aa!=bb){ → L2: DSUBUI R3, R1, R2 ; R3=aa-bb
    BEQZ R3, L3 ; b3 (aa==bb)
    
```

If the condition is true → (B1,B2) branch NOT TAKEN

If the condition is true → B3 NOT taken

If B1 and B2 both NOT TAKEN B3 → TAKEN

There is a correlation between B3 and both B1 and B2

## Correlating Branch Predictors

- Correlating predictors (two-level predictors) use the behavior of other branches to make prediction.
- Simplest (1-bit) has 2 predictions, one if the last branch is take, the second is when the last branch is not taken
- The prediction is on the form **NT/T**

## Example

**B1** if (d==0)  
d=1;  
**B2** if (d==1)  
{

BNEZ R1, L1 ; d == 0 ?  
DADD R1, R0, #1 ; YES d==1  
L1: DADD R3, R1, #-1  
BNEZ R3, L2 ; b2 (bb!=2)  
L2:

If b1 not taken, b2 is taken for sure

Initial d	d==0?	B1	d before b2	d==1	b2
0	Y	NO	1	Y	NO
1	N	Taken	1	Y	NO
2	N	Taken	2	N	Taken

## Example

Initial d	d==0?	B1	d before b2	d==1	B2
0	Y	NO	1	Y	NO
1	N	Taken	1	Y	NO
2	N	Taken	2	N	Taken

d	B1 Pred	B1 action	newB1 pred	B2 pred	B2 action	new B2 pred
2	NT	T	T	NT	T	T
0	T	NT	NT	T	NT	NT
2	NT	T	T	NT	T	T
0	T	NT	NT	T	NT	NT

Miss on every prediction

## Example

Initial d	d==0?	B1	d before b2	d==1	b2
0	Y	NO	1	Y	NO
1	N	Taken	1	Y	NO
2	N	Taken	2	N	Taken

d	b1 Pred	b1 action	newb1 pred	b2 pred	b2 action	new b2 pred
2	NT/NT	✗ T	T/NT	NT/NT	✗ T	NT/T
0	T/NT	✓ NT	T/NT	NT/T	✓ NT	NT/T
2	T/NT	✓ T	T/NT	NT/T	✓ T	NT/T
0	T/NT	✓ NT	T/NT	NT/T	✓ NT	NT/T

Misprediction on first try only

## Global Predictor

- Take for example 10 bits of the branch PC
- Take 4 bits of global branch history
- Access  $2^{14}$  entry table
- Or, you could take the 14 bits of PC XORED with 14 bits of branch history (hashing) to access the same table
- Or any combination

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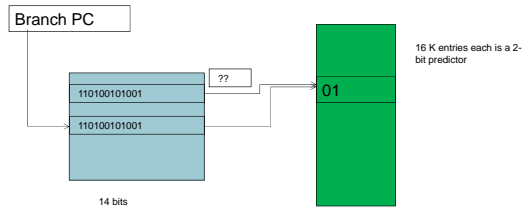
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## Local Predictor

- The recent history of the branch predicts the next one



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## Correlating Predictors

- The 1-bit predictor is called (1,1) predictor.
- It uses one bit for history (last branch), to choose among two ( $2^1$ ) 1-bit branch predictors.
- In general a predictor could be  $(m,n)$  predictor.
- It uses the last  $m$  branch to choose among  $2^m$  branch predictors each is  $n$ -bit predictor.

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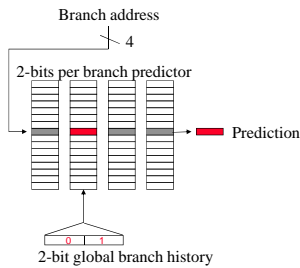
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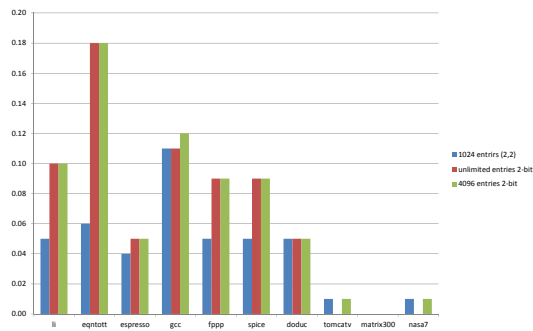
## (2,2) Correlating Predictors

### (2,2) predictor

- Behavior of recent branches selects between four predictions of next branch, updating just that prediction



## Comparison

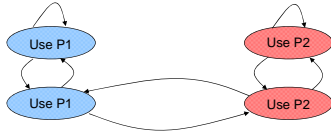


## Branch Prediction

- Basic 2-bit predictor:
  - For each branch:
    - Predict taken or not taken
    - If the prediction is wrong two consecutive times, change prediction
- Correlating predictor:
  - Multiple 2-bit predictors for each branch
  - One for each possible combination of outcomes of preceding  $n$  branches
- Local predictor:
  - Multiple 2-bit predictors for each branch
  - One for each possible combination of outcomes for the last  $n$  occurrences of this branch

## Tournament Predictor

- Tournament predictor:
  - Combine correlating predictor with local predictor
  - A selector is used to decide which one of these to use
- The selector could be similar to a 2-bit predictor
  - A saturating 2-bit binary counter with 2 outcomes P1/P2




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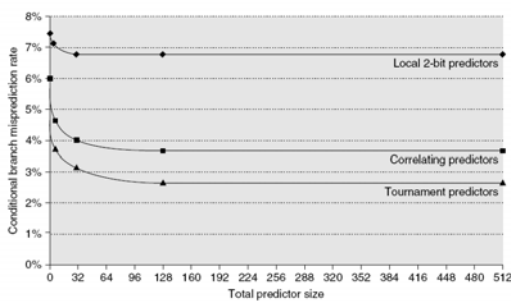
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## Branch Prediction Performance



Branch predictor performance

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## Alpha 21264 Branch Predictor

- Tournament predictor using, 4K 2-bit counters indexed by local branch address.
- Global predictor
  - 4K entries index by history of last 12 branches ( $2^{12} = 4K$ )
  - Each entry is a standard 2-bit predictor
- Local predictor
  - Local history table: 1024 10-bit entries recording last 10 branches, index by branch address
  - The pattern of the last 10 occurrences of that **particular** branch used to index table of 1K entries with 3-bit saturating counters

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